$\qquad$

Describe the likelihood of an event as impossible, unlikely, equally likely, likely or certain.

1. The school chess club wins $\frac{7}{8}$ of the time. $\qquad$
2. It snows on $\frac{9}{10}$ of the days in July. $\qquad$
3. There is a $0 \%$ chance that your feet will shrink overnight $\qquad$
4. The probability that the sun sets tomorrow is 1 . $\qquad$
Find each theoretical probability as a FRACTION in SIMPLEST FORM, if you roll a standard number cube.
5. $P(\operatorname{not} 1)=$ $\qquad$
6. $P(2$ or 5$)=$ $\qquad$
7. $P(1,2$ or 5$)=$ $\qquad$
8. $P($ not a 1 or not 2$)=$ $\qquad$
9. $P($ odd number $)=$ $\qquad$
10. $P(<5)=$ $\qquad$

Suppose a number cube is rolled 240 times. About how many times should each event occur?
11. You roll a 2 or 3.
12. You roll an odd number.

Find the experimental probability of each event based off of counting a bag of M\&Ms

| colors | red | blue | green | brown | yellow |
| :---: | :---: | :---: | :---: | :---: | :---: |
| \# of M\&Ms | 26 | 28 | 11 | 22 | 23 |

13. $P($ brown $)=$ $\qquad$
14. $\mathbf{P}($ Not green $)=$ $\qquad$
15. $\mathrm{P}($ brown or green $)=$ $\qquad$

A bag of marbles contains: 5 green, 2 blue, 2 yellow, 1 purple and 10 red. Write each answer as a DECIMAL.
16. $\mathrm{P}($ blue $)=$ $\qquad$
17. $P($ not red $)=$ $\qquad$
18. $\mathrm{P}($ green $)=$ $\qquad$

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